

QCD/Two-Photon Physics - Summary Report

Physics Topics

Detector Requirements

α_s

improved tracking, calorimetry

$\gamma\gamma$ Scattering

double anti-tag EM calorimetry
Laser Backscattering system

$\gamma^*\gamma$ Scattering

single tag EM calorimetry
Laser Backscattering system

$\gamma^*\gamma^*$ Scattering

double tag EM calorimetry

Why is QCD and 2-Photon Physics important at a Linear Collider?

- *Best measurement of fundamental QCD parameter - α_s*
 - *variety of precise methods (event shapes, jets, decay widths)*
 - *tests running at scales $> M_Z$*
 - *takes α_s to a precision level of $\sim 1\%$ as NNLO theory becomes available (~ 5 years)*
 - *Competition? - HERA dijets, LHC?*
- *Two-Photon Physics*
 - *measurement of $\gamma\gamma$ Total Cross Section*
 - *direct measurement of Photon structure functions*
 - *tests of QCD Dynamics*
 - *Competition? - none*
- *Background to everything else! - must be understood*

α_s

P. Burrows

Precise Determination of α_s

Event Shapes

statistical errors - 50k qq events $\rightarrow \Delta\alpha_s < 0.001$

detector systematics $\rightarrow \Delta\alpha_s \sim 0.001$

hadronization uncertainties ($\sim 1/Q$) $\rightarrow \Delta\alpha_s < 0.001$

needs α_s^3 calculation for 1% measurement - within 5 years
(currently $\Delta\alpha_s \sim 0.006$)

Top Quarks

$\sigma_{tt} \rightarrow \Delta\alpha_s \sim \pm 10\%$ (theoretical near threshold, exp.syst.above)

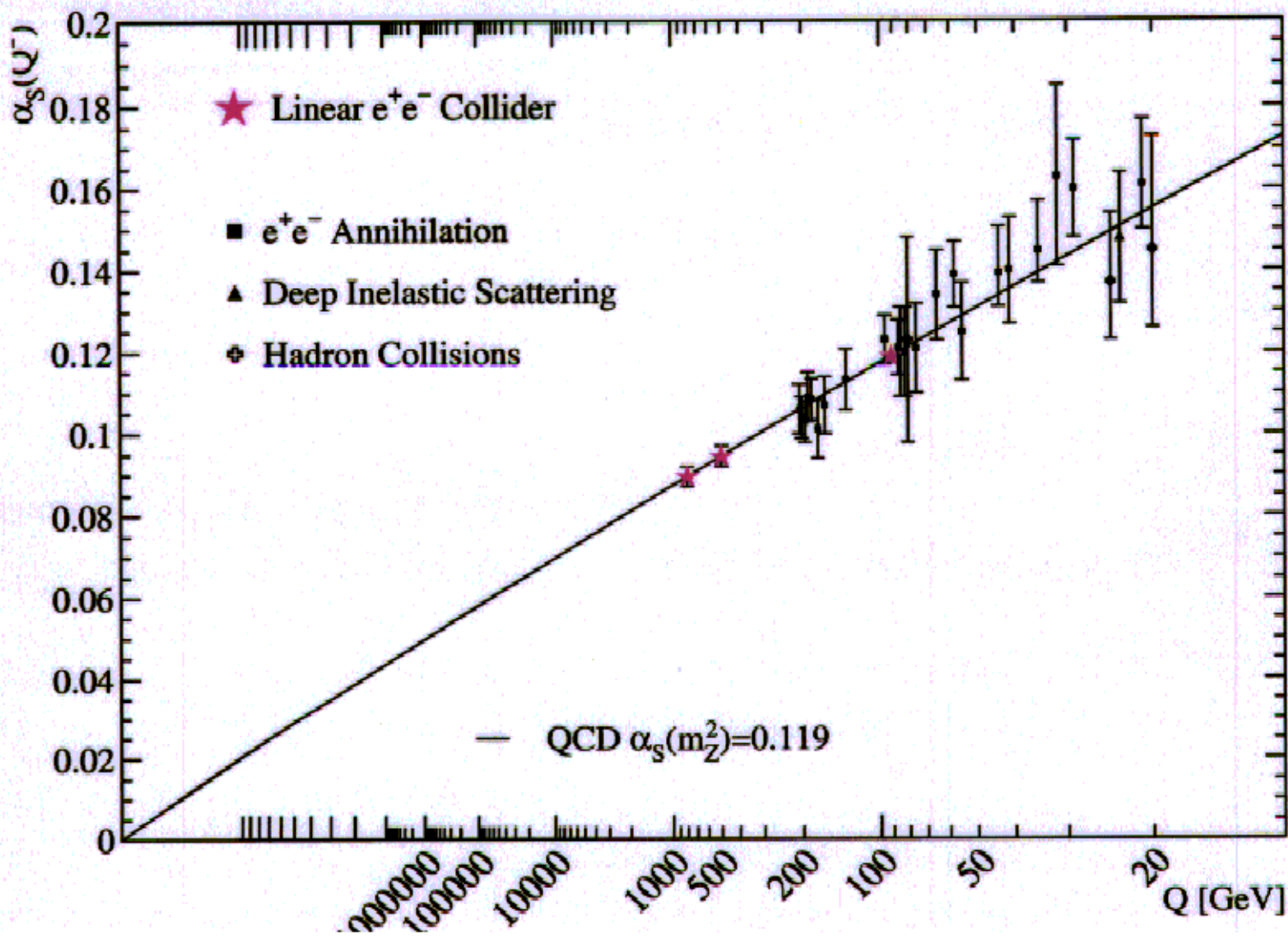
$R_t = \sigma_{tt}/\sigma_{\mu\mu} \rightarrow \Delta\alpha_s \sim \pm 6\%$

Giga-Z running

$\Gamma_Z^{had}/\Gamma_Z^{lept} \rightarrow \Delta\alpha_s = 0.0009$

$\Gamma_\tau^{had}/\Gamma_\tau^{lept} \rightarrow \Delta\alpha_s = 0.001 - 0.006$ (theoretical)

Q2 Evolution of α_s ----->



α_s

B. Schumm

- **QCD event selection cuts** ---->
 - **Replace hemisphere mass cut with precision vertexing and electron beam polarization**
 - no more than 3 tracks miss IP by more than 3σ
 - require $P_e > 80\%$ for clean $q\bar{q}$ sample
 - jet rate correction greatly reduced ---->
- **Detector systematics**
 - boost loss : calorimeter coverage $|\cos \theta| < 0.99$, $R_3/R_3^{\text{true}} = 0.982$
 - under control to $\sim 1\%$ level

European Working Group

qq Selection Cuts (pre-Snowmass)

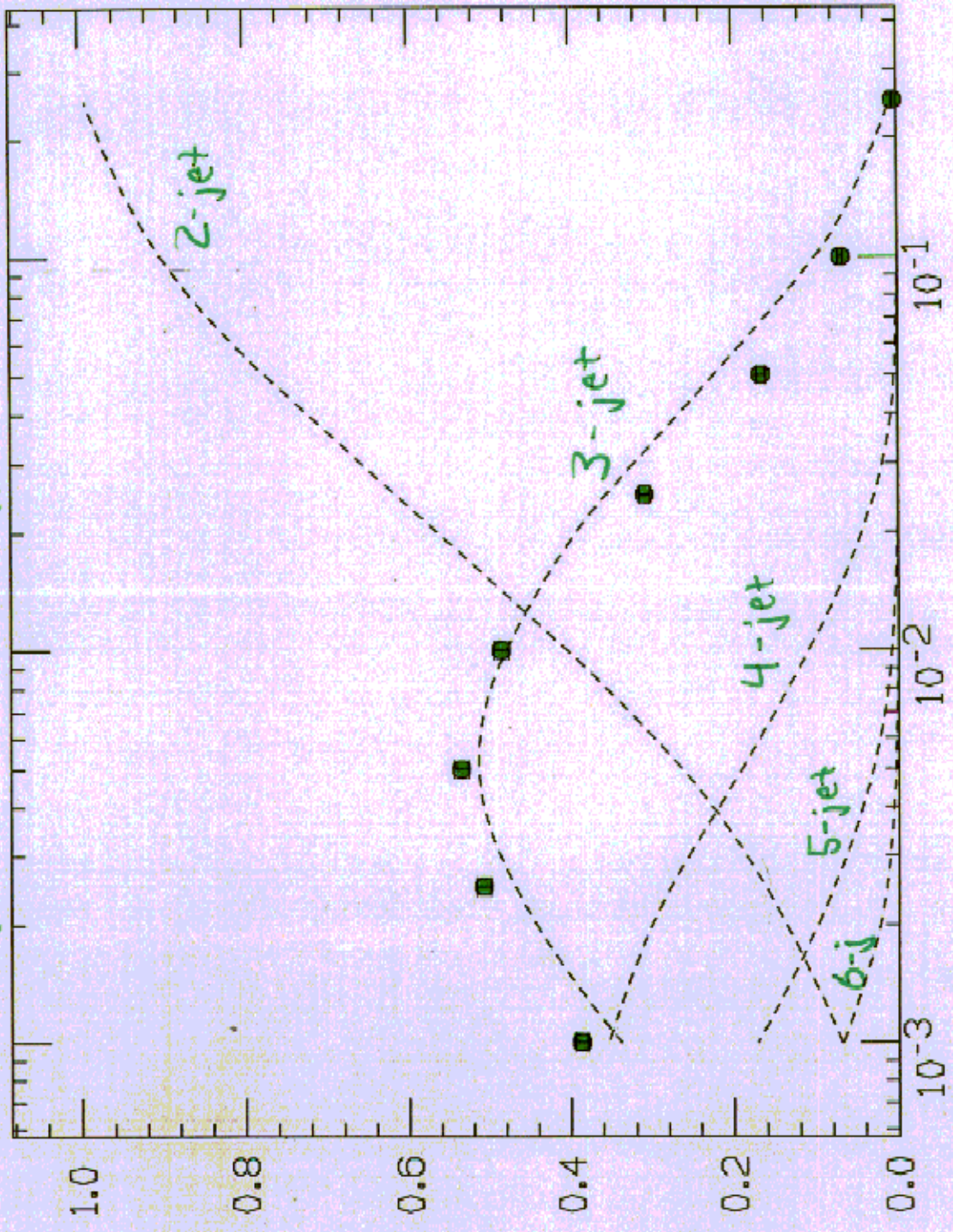
Cut	Value	Veto
particle multiplicity	$N_{part} \geq 8$	2- γ events beam-gas events leptonic final states
Polar angle of thrust axis	$ \cos \theta_T < 0.8$	W^+W^- events highly radiative events losses around beampipe
visible hadronic energy and longitudinal momentum balance	$\frac{E_{vis}}{E_{cm}} > 0.5$ $\frac{ \sum \vec{p}_z }{E_{vis}} < 0.4$	2- γ events highly radiative events poorly measured events
hemisphere masses	$M_1, M_2 > 3 \text{ GeV}$	τ pair events
hemisphere multiplicities	$N_{charged}^{1,2} \geq 4$	lept. decays of boson pairs
hemisphere masses *	$\left[\frac{M_1}{E_{vis}} \text{ or } \frac{M_2}{E_{vis}} \right] < 0.13$	$t\bar{t}$ and boson pair events

But introduces substantial bias (especially *)

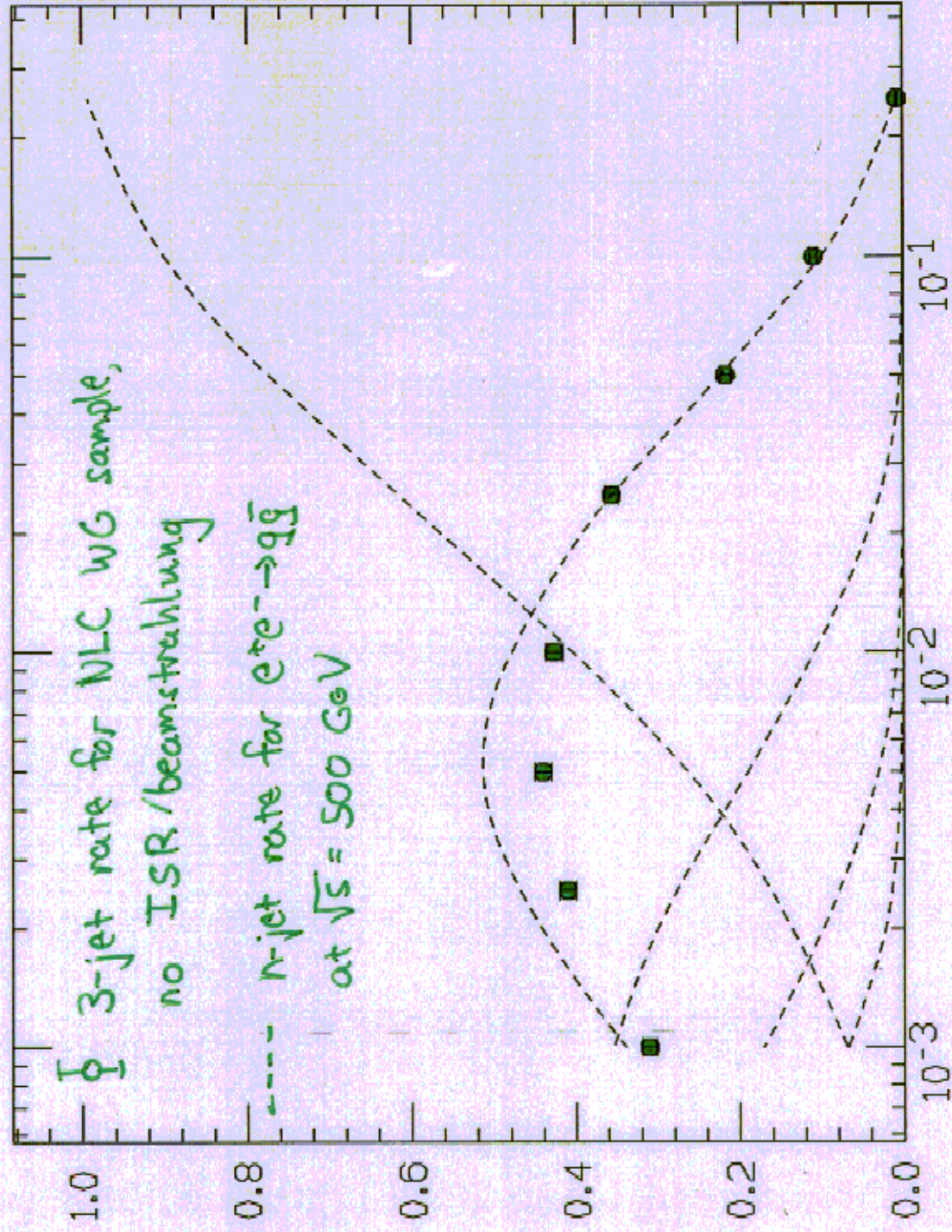
to 3-jet rates

\Rightarrow 20-25% correction to α_s !

$\hat{\sigma}$ - 3 jet rate after European Working Group cuts (no ISR)
 n-jet rate for $e^+e^- \rightarrow q\bar{q}$ at $\sqrt{s} = 500 \text{ GeV}$, no cuts



Y_{cut} (Eφ Algorithm)



n-jet rate

γ_{cut}

Tools for 2-Photon Physics studies

T. Sjostrand

F. Hautmann

- *2-photon processes in PYTHIA*
 - *consistent picture of all processes*
 - *process composition for virtual photon scattering ----->*
- *NLO + parton shower MCs*
 - *Issues*
 - *LO --> NLO Monte Carlos ----->*
 - *subtraction methods work for IR safe quantities, but not for IR unsafe Monte Carlos*
 - *new method localizes calculations to small regions (soft, collinear, UV) with subtraction of divergences from larger regions*

Photon 'high- p_{\perp} ' processes

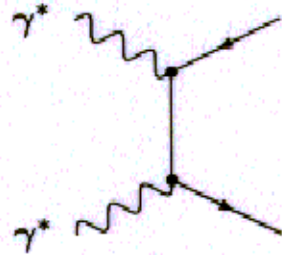
Three main 'high- p_{\perp} ' jet process classes:

1. direct \times direct

$$\gamma_T^* \gamma_T^* \rightarrow q\bar{q}$$

$$\gamma_T^* \gamma_L^* \rightarrow q\bar{q}$$

$$\gamma_L^* \gamma_L^* \rightarrow q\bar{q}$$



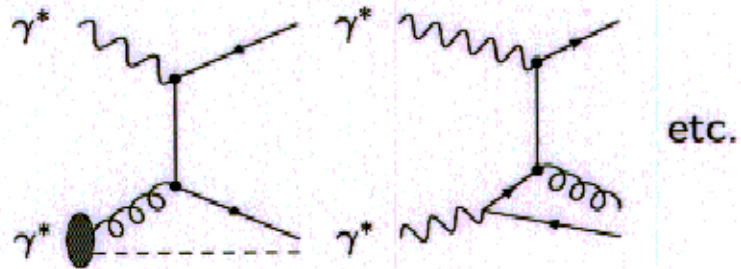
2. direct \times resolved , resolved = VMD or anomalous

$$\gamma_T^* g \rightarrow q\bar{q}$$

$$\gamma_L^* g \rightarrow q\bar{q}$$

$$\gamma_T^* q \rightarrow qg$$

$$\gamma_L^* q \rightarrow qg$$



3. resolved \times resolved

$$qq' \rightarrow qq'$$

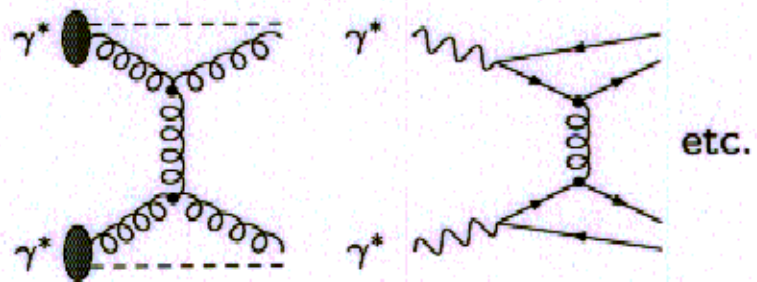
$$q\bar{q} \rightarrow q'\bar{q}'$$

$$q\bar{q} \rightarrow gg$$

$$qg \rightarrow qg$$

$$gg \rightarrow gg$$

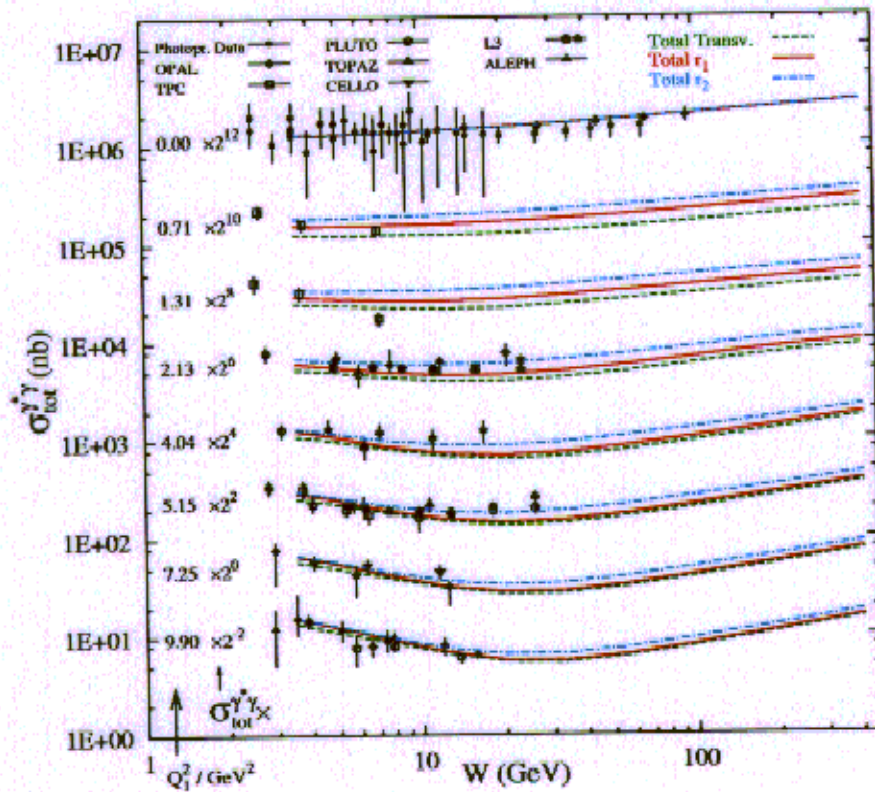
$$gg \rightarrow q\bar{q}$$



$$d\sigma(\gamma^* \gamma^* \rightarrow X) = \left(\int d\hat{x}_1 f_i^{\gamma^*}(\hat{x}_1, \mu^2, Q_1^2) \right)$$

$$\times \left(\int d\hat{x}_2 f_j^{\gamma^*}(\hat{x}_2, \mu^2, Q_2^2) \right) \int d\hat{t} \frac{d\hat{\sigma}}{d\hat{t}}(\hat{s} = \hat{x}_1 \hat{x}_2 W^2)$$

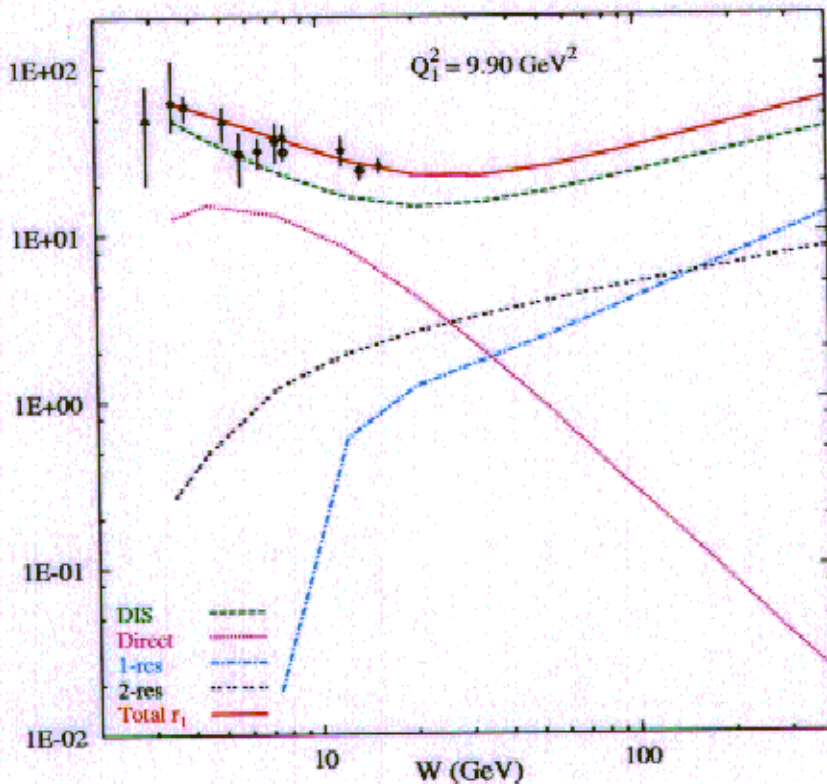
Energy dependence



$$f_i^{\gamma^*} / f_i^{\gamma^*}$$

$$r_1 = \frac{2m^2 Q^2}{(m^2 + Q^2)^2}$$

$$r_2 = \frac{2Q^2}{m^2 + Q^2}$$



Cross section in a parton shower MC event generator:

$$\sigma[W] = \sum_{\text{final states } X} W(X) \text{ PS} \otimes H$$

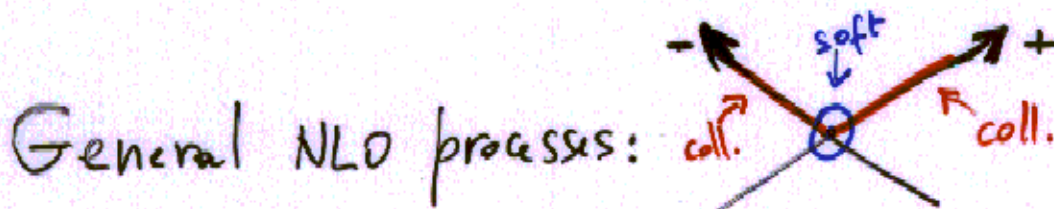
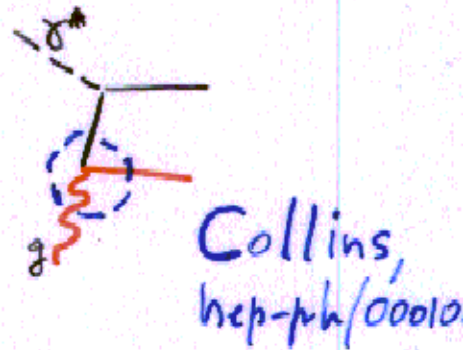
↑ weight function
↑ parton shower
↑ hard scattering

- Standard MC: H is taken to the LO
- NLO-improved MC:

$$\text{PS} \otimes \left[\underbrace{H^{(LO)}}_{\text{LO events}} + \alpha_s \underbrace{\left(H^{(NLO)} - \text{PS}_I(1) \otimes H^{(LO)} - \text{PS}_F(1) \otimes H^{(LO)} \right)}_{\text{NLO correction events}} \right]$$

Example (simple): $\gamma^* q \rightarrow q \bar{q}$ in DIS

- $\text{PS}_I(1)$ term only
- no soft gluons



overlapping soft and collinear region

QUESTION: COLLINEAR REGIONS ACCURATELY TAKEN INTO ACCOUNT BY SUBTRACTION TERMS. SOFT REGION?

TWO-PHOTON QCD STUDIES

TOPIC	<i>ee</i>	<i>eγ γγ</i>
PHOTON STRUCTURE		
● F_2^γ (LOW- x AND α_s)	(✓)	✓
● F_2^γ (HIGH- Q^2 : CC/NC)	(✓)	✓
● $xg(x)$ (JETS)	✓	✓
● $xg(x)$ (CHARM)	(✓)	✓
POLARIZED PHOTON STRUCTURE		
● Δf^γ (g_1)	(h)	✓
● Δf^γ (JETS)	✓	✓
PHOTON INTERACTIONS		
● $\sigma_{tot}(W_{\gamma\gamma})$	h	✓
LARGE $\ln(1/x)$ (AKA BFKL)		
● $\gamma^*\gamma^*$	✓	—
● $\gamma\gamma \rightarrow J/\psi J/\psi$	(✓)	✓
● FORWARD JETS	✓	✓
● $ee \rightarrow ee\gamma X$	✓	✓

✓ OK!

(✓) MAYBE OK

h KO

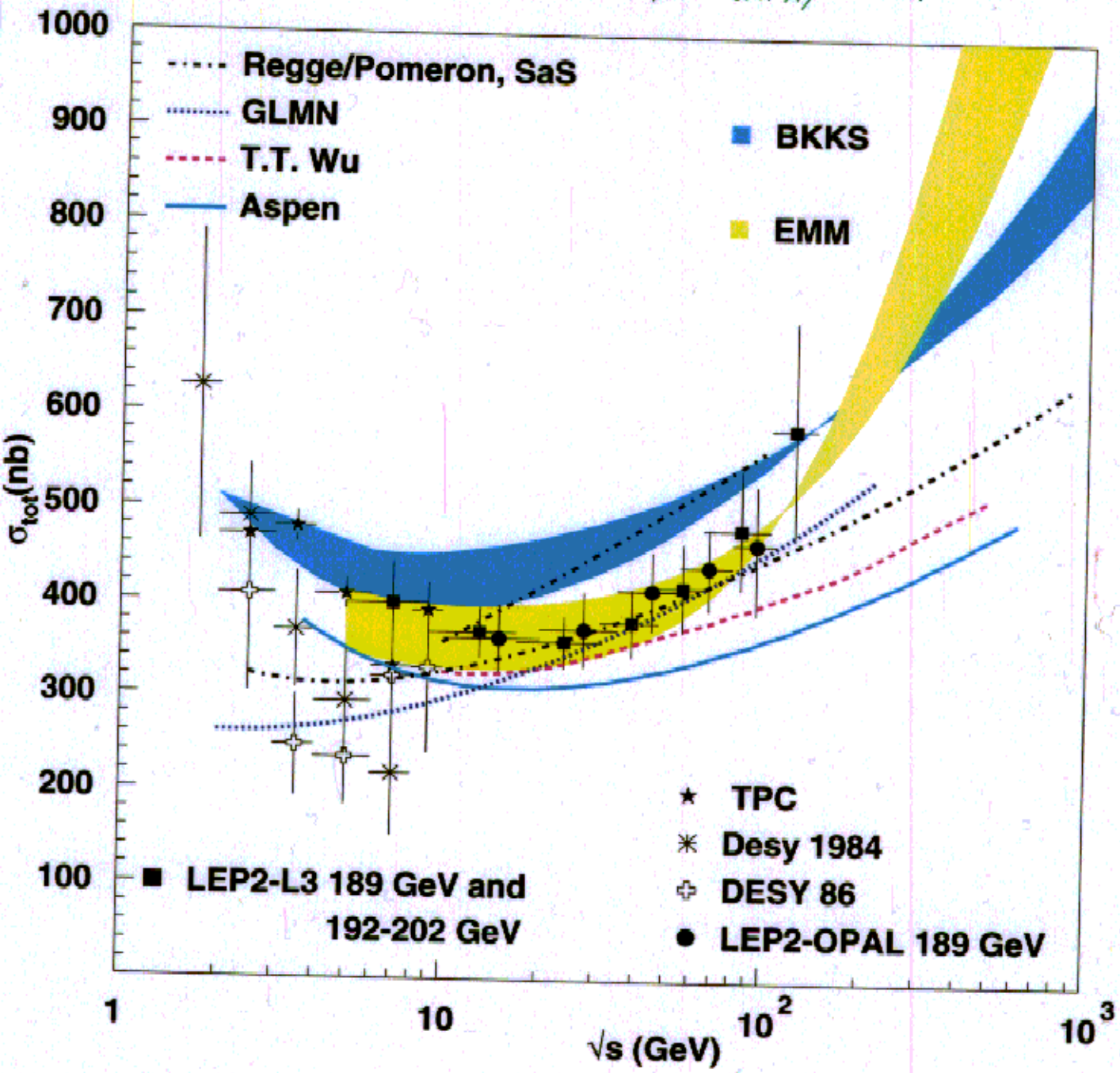
$\gamma\gamma$ Scattering - Total Cross Section/Photon Structure

R. Godbole

A. DeRoeck

- *Total cross section measurement*
 - *Model comparisons to $\gamma\gamma$, γp , pp data*
 - *QCD-based (F_2^γ , minijet)*
 - *"Photon is like a proton" (Regge/Pomeron)*
 - *Precision required at LC to distinguish models ----->*
- *Photon q/g structure from dijets (low $x\gamma$)*
 - *e+e- mode --> 70%g/30%q*
 - *Laser γ mode--> 90%g/10%q (almost pure g)*

G. Pancheri, R.M.G.



Precision for discrimination between models

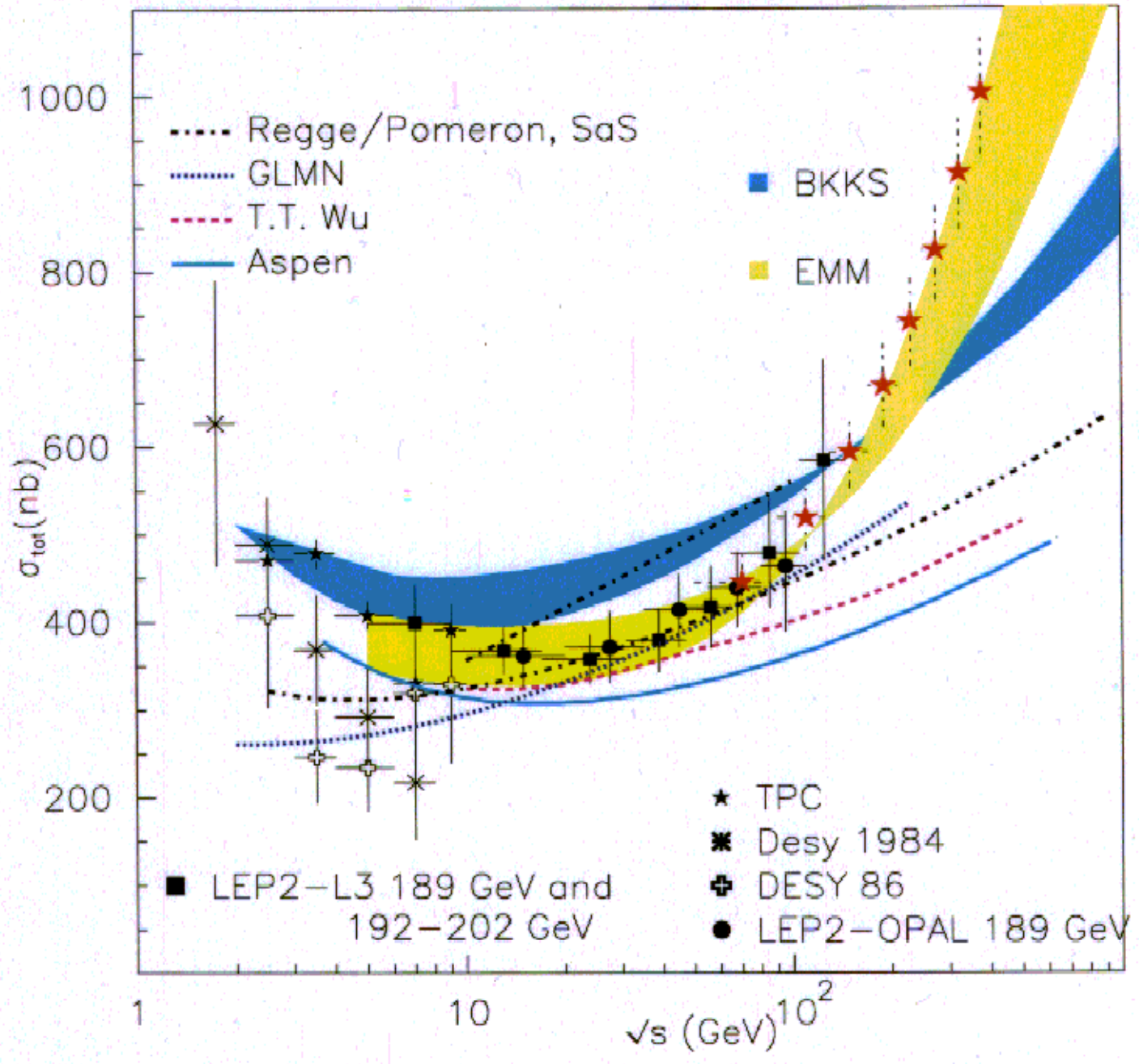
Table 1: Total $\gamma\gamma$ cross-sections and required precision for models based on factorization

$\sqrt{s_{\gamma\gamma}}(\text{GeV})$	Aspen	T.T. Wu	DL	1σ
20	309 nb	330 nb	379 nb	7%
50	330 nb	368 nb	430 nb	11%
100	362 nb	401 nb	477 nb	10%
200	404 nb	441 nb	531 nb	9%
500	474 nb	515 nb	612 nb	8%
700	503 nb	543 nb	645 nb	8%

Table 2: As in Table 1 for Eikonal Minijet Models

$\sqrt{s_{\gamma\gamma}}(\text{GeV})$	BN GRV p_{tmin} 2 GeV	IPT GRS p_{tmin} 1.5 GeV	IPT GRV p_{tmin} 2 GeV	1σ
20	329 nb	312 nb	308 nb	0.3%
50	367 nb	357 nb	360 nb	1%
100	454 nb	435 nb	463 nb	4%
200	547 nb	581 nb	672 nb	8%
500	730 nb	928 nb	1171 nb	18%
700	873 nb	1105 nb	1420 nb	27%

G. Pancheri, R.M.G., A. de Roeck.



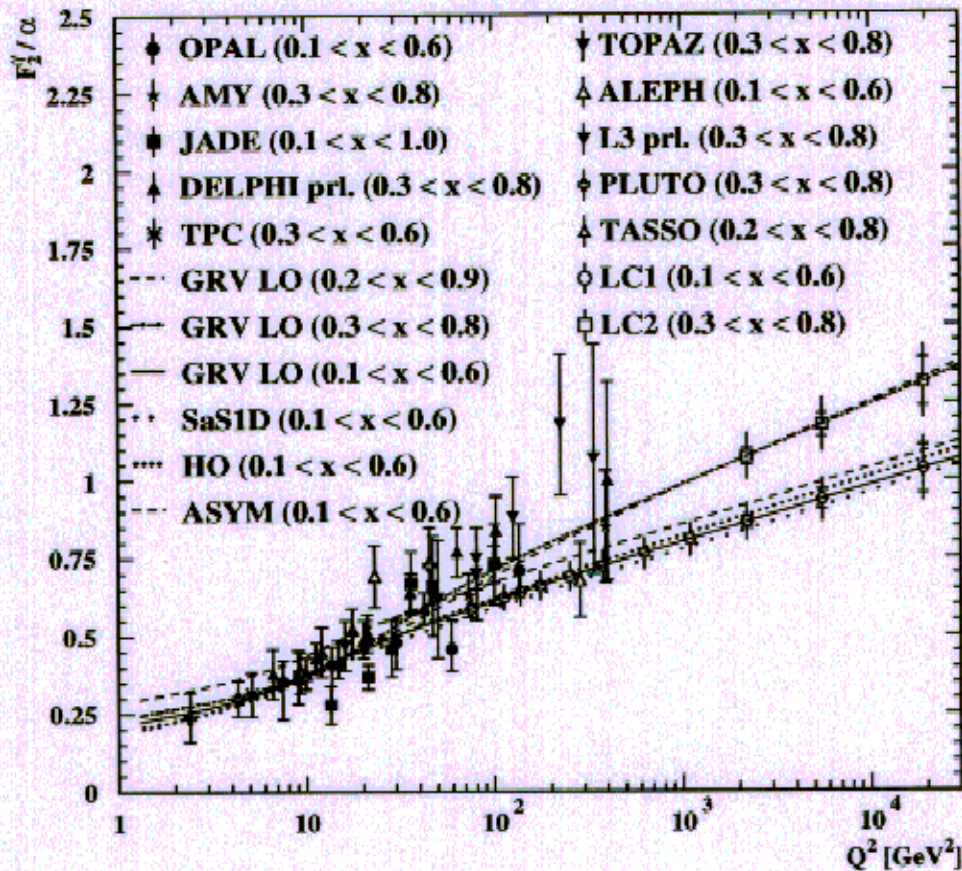
$\gamma^*\gamma$ Scattering - $e\gamma$ DIS

A. DeRoeck

- F_2^γ - direct measurement in DIS process
 - Measurement of F_2^γ at high Q^2 - Q^2 evolution ----->
 - Measurement of F_2^γ at low x (LEP $\sim 10^{-3}$ --> LC \sim few 10^{-5})
 - x reconstruction (Wvis) for single tag $e+e^-$)
 - enhancement of low x region with Laser ----->
- Polarised Structure Function
 - for photon - no data available for Δq^γ
 - g_1 , Δq may be large at low x --> Laser photons
 - In $1/x$ (BFKL) terms in unpolarised scattering enter as $\ln^2 1/x$ for polarised --> enhanced effect at low x

F_2^γ STRUCTURE FUNCTION

- e^+e^- MODE: HIGH Q^2 , HIGH- x

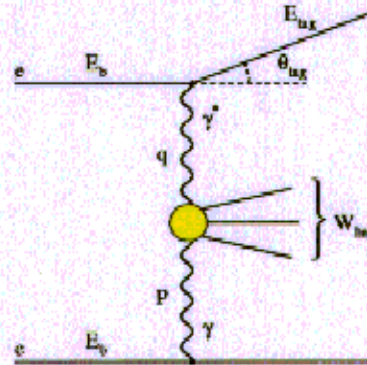


- LC1 ($\theta_{tag} > 40$ MRAD); LC2 ($\theta_{tag} > 175$ MRAD)
- SYST. ERROR $\sim 7\%$ ($\sim 1/2$ ERROR FROM LEP)
- $\Delta\alpha_s = 5\% \rightarrow \Delta F_2^\gamma = 3\%$ (LARGE Q^2)
- HIGH Q^2 : CHARGED/NEUTRAL CURRENTS \rightarrow UP/DOWN QUARK CONTENT
- LOW- x : CHARM 30-40% OF CROSS SECTION

F_2^γ STRUCTURE FUNCTION

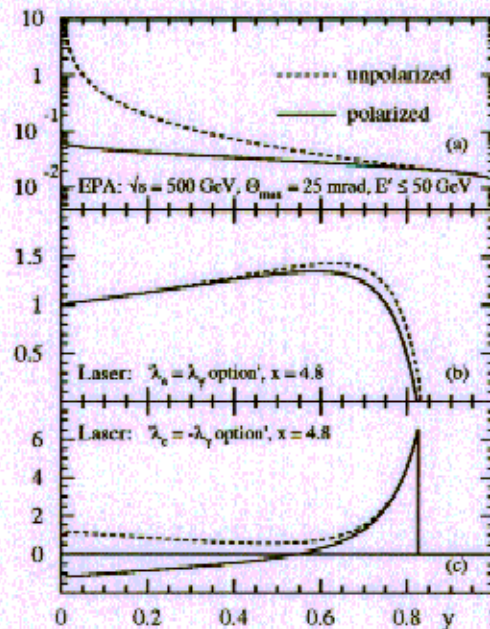
VOGT, MILLER, NISIUS, ZERWAS, SPIESBERGER, GEHRMAN-DE RIDDER, ADR...

$$\frac{d\sigma_{e\gamma \rightarrow eX}}{dx dQ^2} = \frac{2\pi\alpha^2}{xQ^4} (1 + (1-y)^2) F_2^\gamma$$



- ELECTRON TAGGING: $\Theta > 25$ MRAD, $E_e > 50$ GEV
(SMALLER Θ ? FORWARD ELECTRON TAGGING $Q^2 \sim 0$?)

PHOTON SPECTRA USED:

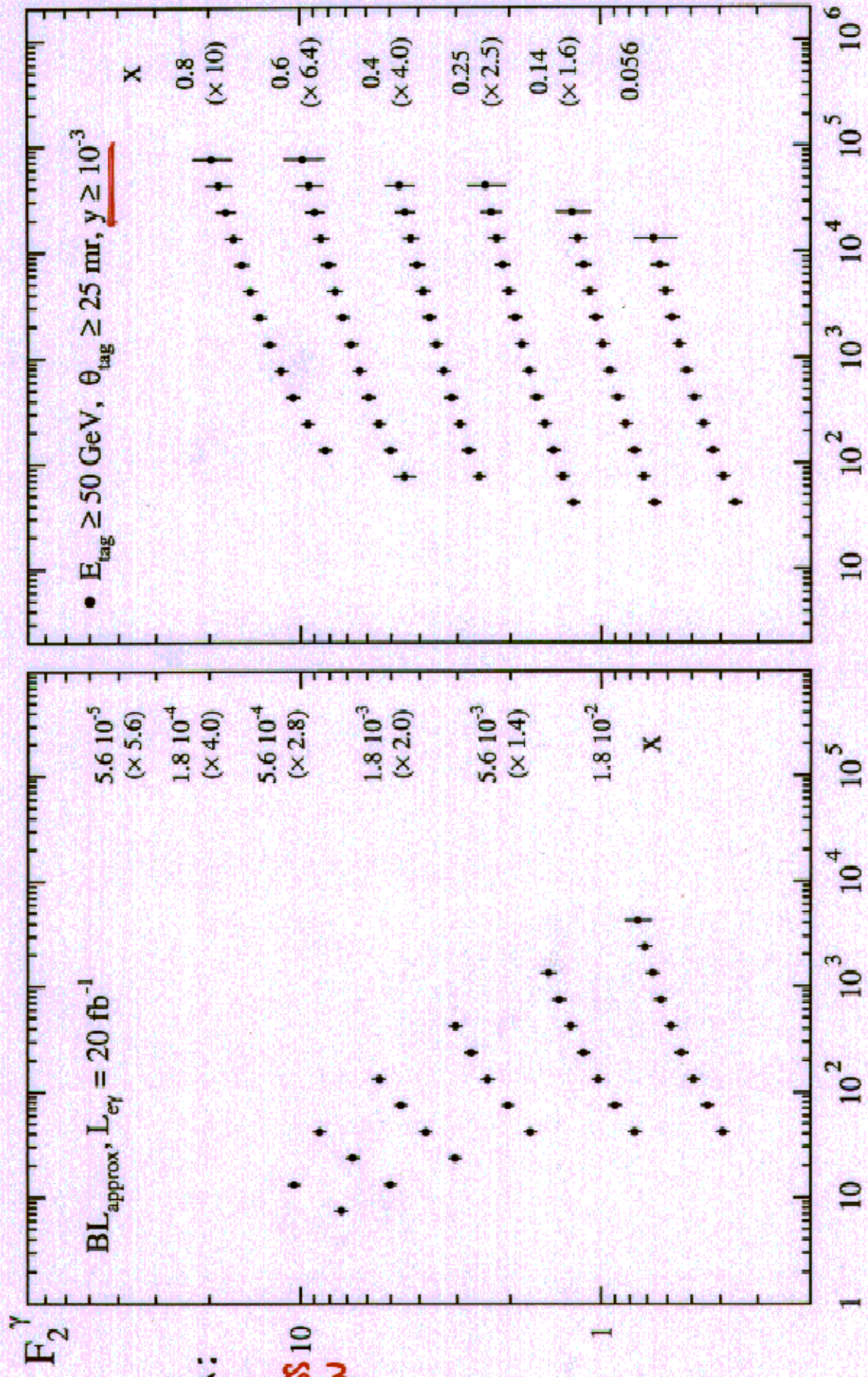


e^+e^-

$\gamma\gamma, e\gamma$

- e^+e^- MODE: DIFFICULT, ONLY $Q^2 > 20 - 50$ GEV², $x \gtrsim 10^{-3}$
- $e\gamma$ MODE: LOW- x ACCESSABLE!

A. VOGT, ADR



STAT ERROR ~ 5%
+ STAT ERROR

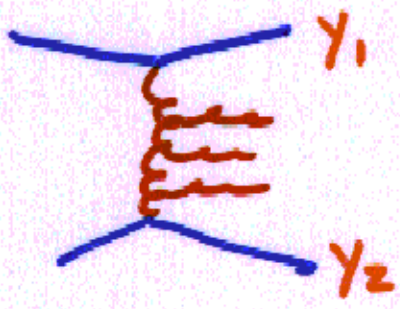
$\gamma^*\gamma^*$ Scattering - QCD Dynamics (BFKL)

L. Orr C. Royon

A. DeRoeck. C-F. Qiao

- *Cleanest test of mechanism of QCD dynamics ---->*
- *Measurement for "free" with beam pipe EM tagging calorimeters*
 - *Signal/background vs experiment ----->*
- *Towards complete NLO BFKL calculation/Monte Carlo*
 - *LO BFKL problems*
 - *non-conservation of E, p*
 - *huge NLO corrections*
 - *constant background? ----->*
 - *Partial NLO calculation - comparison to LEP, DO data ----->*
 - *Calculation of photon-pomeron coupling - PIF (photon impact factor - needed for NLO*
- *Other methods (J/Psi, Forward jets, ee->eeyX)*

Tevatron / LHC: dijet prod. at large rapidity



$\Delta = \gamma_1 - \gamma_2$

$\Rightarrow \hat{\sigma} \sim e^{\lambda \Delta}$

\Rightarrow azimuthal decorrelation

Mueller
Navetta

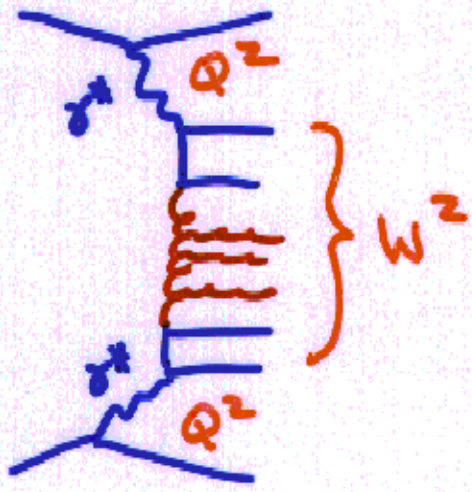
HERA: forward jet production



$\Rightarrow \hat{\sigma} \sim \left(\frac{x_j}{x_{Bj}}\right)^\lambda$

(also $F_2 \sim \frac{1}{x^\lambda}$)

LEP / LC: $\gamma^* \gamma^*$ scattering



$s \gg Q^2 \gg \Lambda^2_{QCD}$

$\Rightarrow \sigma_{\gamma^* \gamma^*} \sim \left(\frac{W^2}{Q^2}\right)^\lambda$

Brodsky
Hautman
Soper

Y-dependence of cross-section (CLIC)

- Possibility to cut on Y to enhance BFKL cross-section with respect to 2-gluon one
- 3 TeV center-of-mass energy $Y > 9$ (resp. 8):
 $\sigma_{BFKL} = 1.9 \cdot 10^{-6}$ pb, **ratio= 6.2** ($\sigma_{BFKL} = 7.8 \cdot 10^{-6}$ pb, **ratio= 4.8**)
- 5 TeV center-of-mass energy $Y > 9$ (resp. 8):
 $\sigma_{BFKL} = 9.3 \cdot 10^{-7}$ pb, **ratio= 5.7** ($\sigma_{BFKL} = 2.8 \cdot 10^{-6}$ pb, **ratio= 4.5**)
- $Y > 9$, and $\theta > 25$ mrad,
 σ_{BFKL} (3 TeV) = $3.3 \cdot 10^{-5}$ pb, **ratio= 7.5**
 σ_{BFKL} (5 TeV) = $1.1 \cdot 10^{-5}$ pb, **ratio= 6.2**

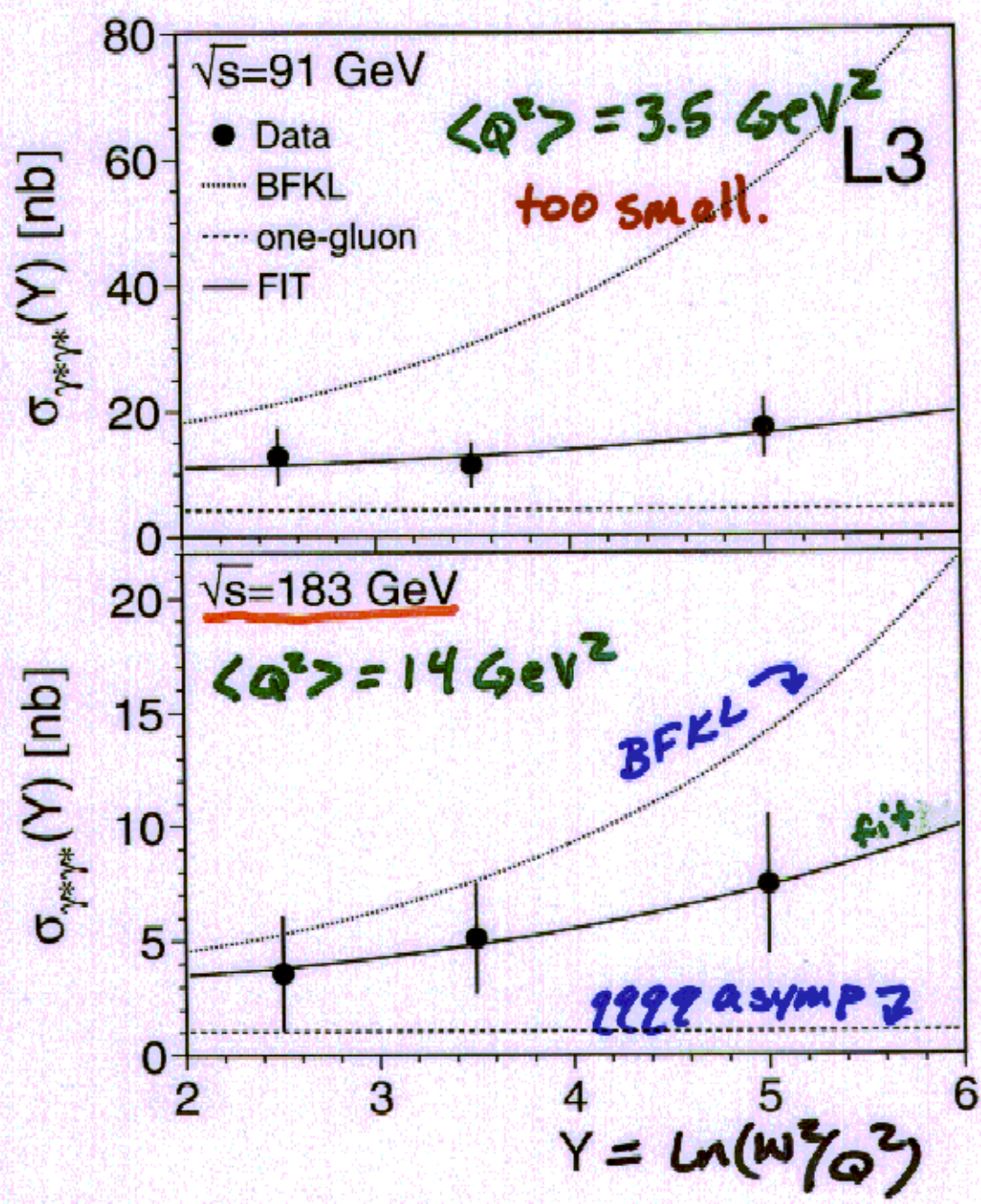
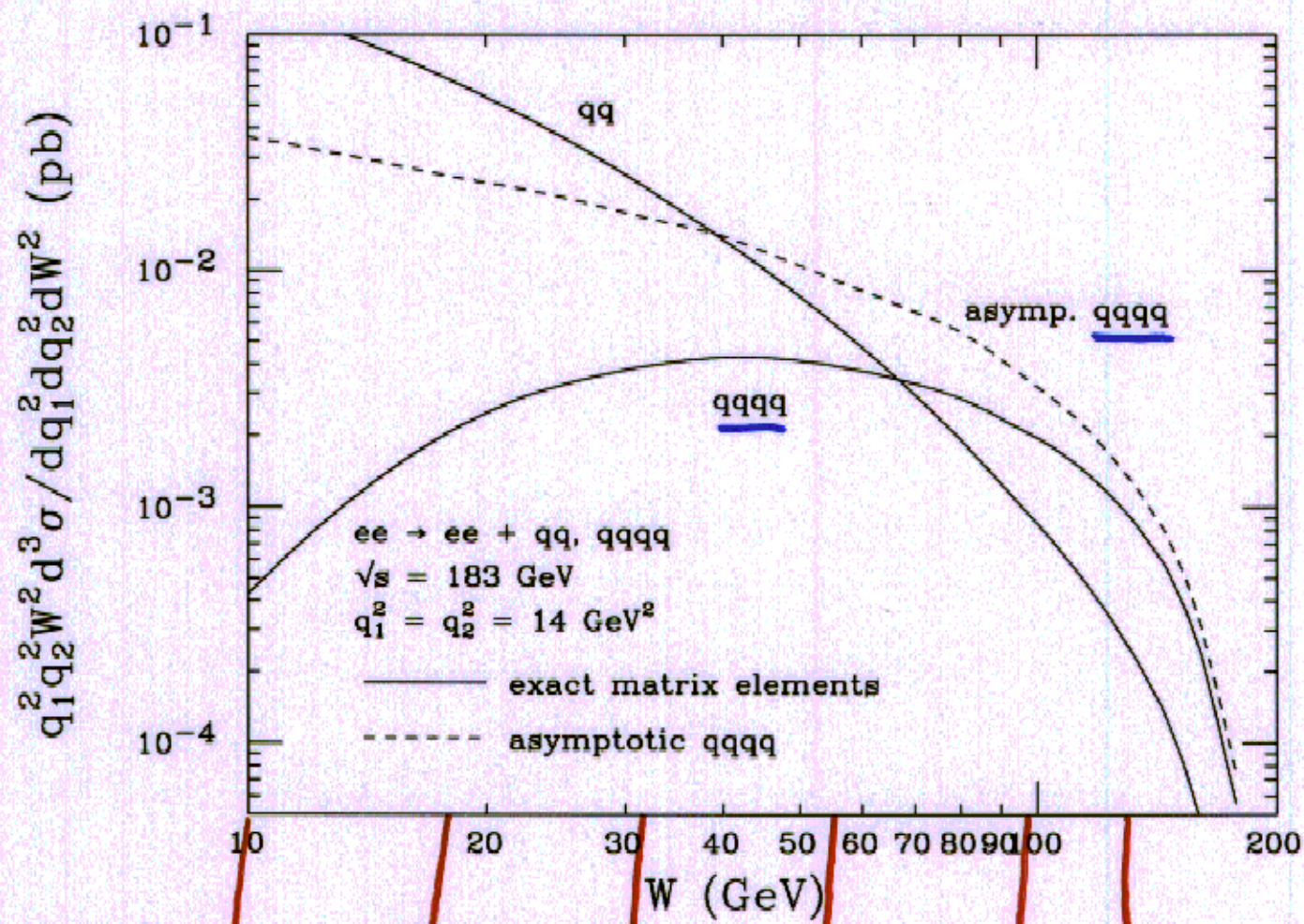


Figure 6: Two-photon cross-sections, $\sigma_{\gamma^*\gamma^*}$, after subtraction of the QPM contribution at $\sqrt{s} \simeq 91 \text{ GeV}$ ($\langle Q^2 \rangle = 3.5 \text{ GeV}^2$) and $\sqrt{s} \simeq 183 \text{ GeV}$ ($\langle Q^2 \rangle = 14 \text{ GeV}^2$). The data are compared to the predictions of the BFKL model and of the one-gluon exchange diagram. The continuous line is a fit to the data with Eq. 1 by leaving α_P as a free parameter.

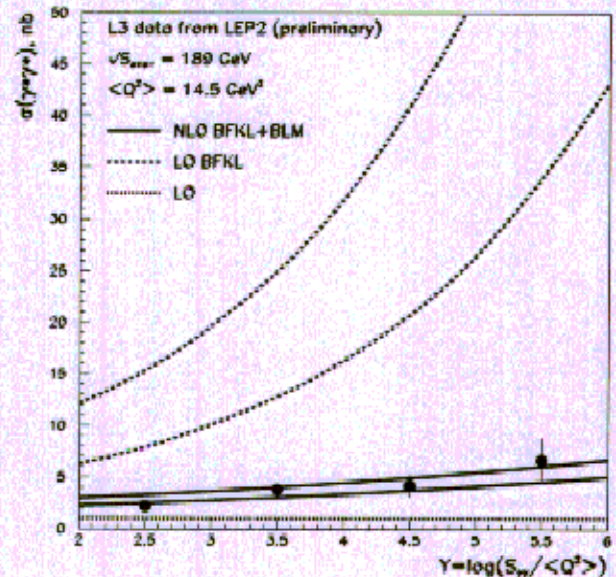
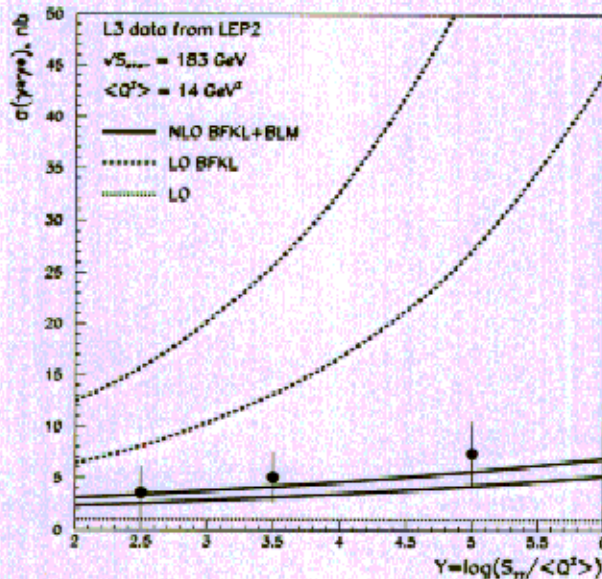
LEP; $\sqrt{s} = 183 \text{ GeV}$



$\gamma =$ 2 3.1 4.3 5.4 6.6 7.1

← L3 →
range

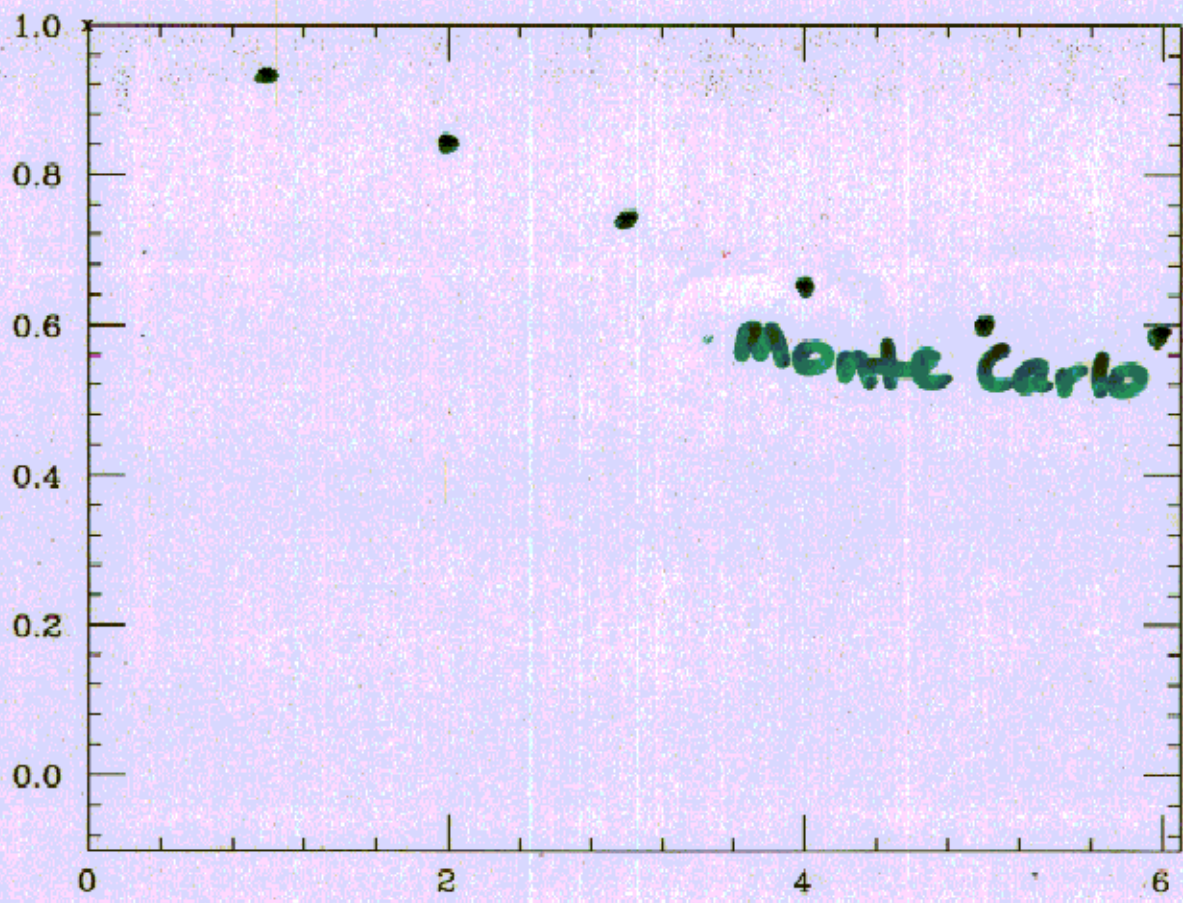
Improvement by NLO calculation?



(Kim, Lipatov, Pivovarov, hep-ph/9911242)

- leading BFKL too large, strong α_S - and mass-dependence
- NLO BFKL improves the situation considerably (but strong renormalisation scheme dependence)
- Overall normalisation still open

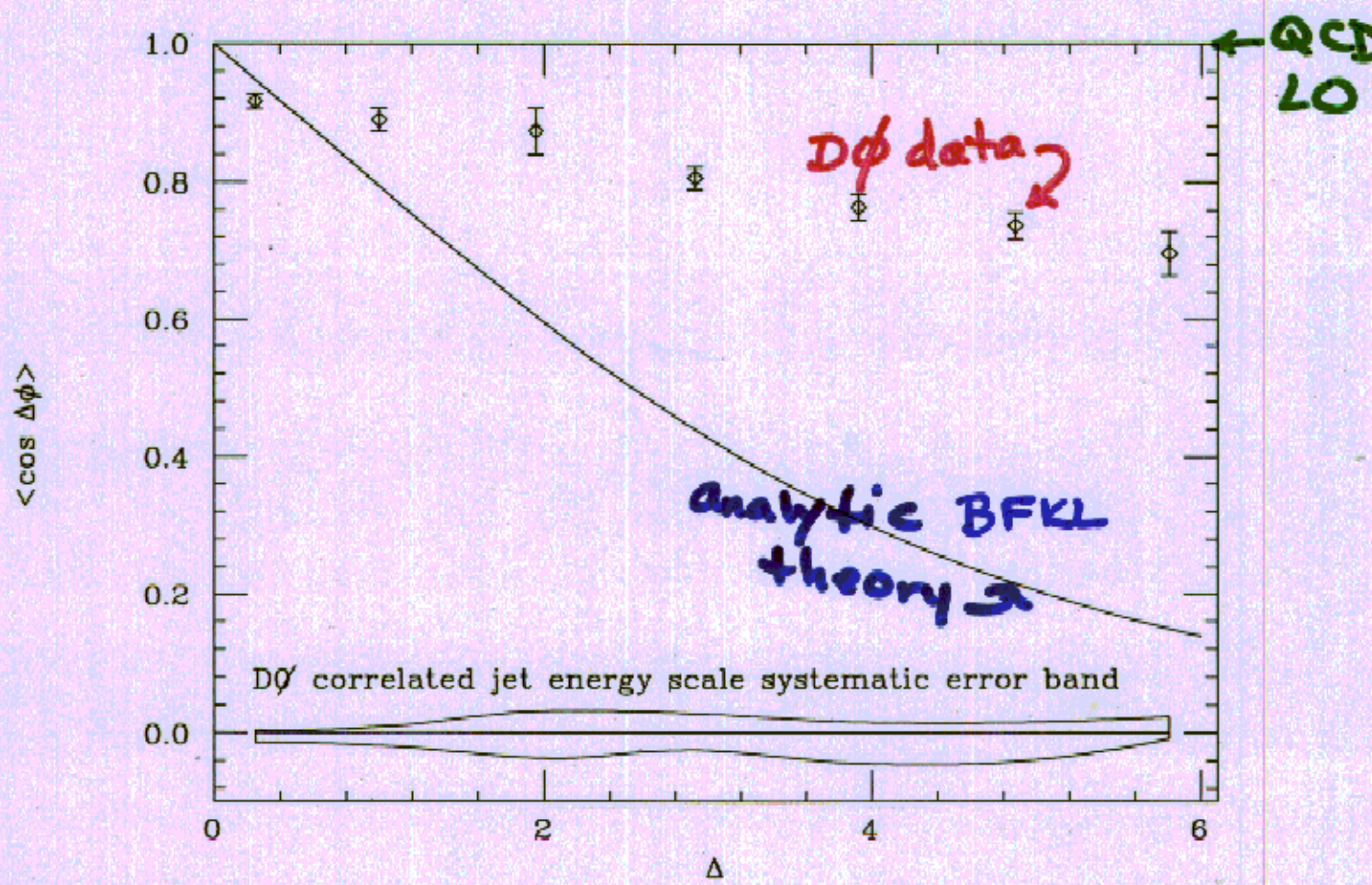
→ Calculation of the NLO impact factors for virtual photons is highly desirable.



Azimuthal Decorrelation in Dijet Production at the Tevatron

Figure 5

$P_T > 20 \text{ GeV}$



$\langle \cos \Delta\phi \rangle = 1 \iff$ back-to-back

Summary

- *Precise determination of α_s at high energy scales can be made in a clean and well-understood theoretical environment*
- *Two-Photon Physics in the e+e- mode (Bremsstrahlung photons)*
 - *High Q^2 F_2^γ (quarks)*
 - *Dijets in DIS, $\gamma\gamma$ (gluon component)*
 - *$\gamma^*\gamma^*$ Scattering - BFKL (better theoretical understanding and experimental conditions)*
- *Two-Photon Physics in the e γ , $\gamma\gamma$ (Laser backscattering) modes*
 - *Low x F_2^γ - full use of higher W*
 - *High energy $\gamma\gamma$ scattering - understanding of total cross section*