



# Measurement of $L_b$ Branching Ratios in Modes Containing a $L_c$

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## Why are the $L_b$ branching fractions interesting?

- Little is known about the properties of b-baryons.
- Measurement of  $\Lambda_b$  branching fractions provides a way to test Heavy Quark Theory.
- Currently the b-baryons are only produced at the Tevatron.

Tevatron luminosity increase + Silicon Vertex Trigger = large  $\Lambda_b$  sample

## Why measure the ratio of branching fractions?

- We measure the ratios of branching fractions in kinematically similar decay modes.
- Same triggers are used both for the signal and normalization modes.

Systematic errors from the acceptance, trigger and reconstruction efficiency cancel.

## What ratios do we measure?

$$f_{\text{baryon}} \times \text{BR}(\Lambda_b \rightarrow \Lambda_c^+ p^-) / f_d \times \text{BR}(B^0 \rightarrow D^- p^+) \quad \text{and} \quad \text{BR}(\Lambda_b \rightarrow \Lambda_c^+ \mu^-) / \text{BR}(\Lambda_b \rightarrow \Lambda_c^+ p^-)$$

Both data are collected from the two-track trigger.

Two-track trigger: a trigger that requires a pair of opposite-charged tracks with  $120 \mu\text{m} \leq \text{impact parameters} \leq 1 \text{mm}$ , transverse momentum  $\geq 2 \text{GeV}/c$ , scalar sum of the transverse momenta  $\geq 5.5 \text{GeV}/c$ ,  $2 \leq \text{angle between two tracks} \leq 90$  degrees, the 2-D distance between the beam spot and the intersection point of two tracks  $\geq 200 \mu\text{m}$ .

## How do we measure the branching fraction? $\sigma_b \times f_{u,d,s,\text{baryon}} \times \text{BR} \times \epsilon = N_{\text{signal}}$

- $\sigma_b$ : b-quark production cross section
- $f_{u,d,s,\text{baryon}}$ : probability for the b-quark to hadronize to  $B_{u,d,s}$  baryon
- $\epsilon$ : total reconstruction efficiency
- $N_{\text{signal}}$ : measured event yield

$$\frac{f_{\text{baryon}} \times \text{BR}(\Lambda_b \rightarrow \Lambda_c^+ p^-)}{f_d \times \text{BR}(B^0 \rightarrow D^- p^+)}$$

- $\Lambda_b \rightarrow \Lambda_c^+ p^-$  and  $D^- \rightarrow K^+ p^- p^-$
- fully reconstruct decays
- We could extract ratio of production fractions if combined with other analysis
- large uncertainty from  $\text{BR}(\Lambda_c \rightarrow pK\pi)$

$$\frac{\text{BR}(\Lambda_b \rightarrow \Lambda_c^+ \mu^-)}{\text{BR}(\Lambda_b \rightarrow \Lambda_c^+ p^-)}$$

$$\frac{\text{BR}(B^0 \rightarrow D^{*-} \mu^+)}{\text{BR}(B^0 \rightarrow D^{*-} p^+)}$$

- There are backgrounds from the feed-down of excited charm, other B-hadrons and fake muons. A slightly different formula:  $R_{\text{BR}} = R_e \times (R_{\text{yield}} - R_{\text{physics}} - R_{\text{fake}\mu})$
- We choose one control sample:  $B^0 \rightarrow D^* \pi$  and  $B^0 \rightarrow D^* \mu \nu$  to understand the backgrounds and systematic uncertainties.

## Normalization Mode

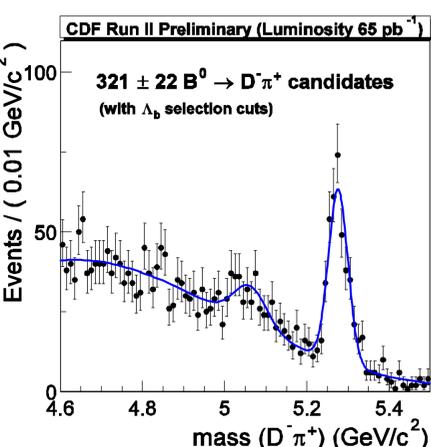


Figure 1: Reconstructed  $B^0 \rightarrow D^- \pi^+$ ,  $D^- \rightarrow K^+ \pi^- \pi^-$ . The data are fitted with a signal Gaussian, a satellite Gaussian and a broad Gaussian (background).  $\chi^2/N=0.92$

## Signal Mode

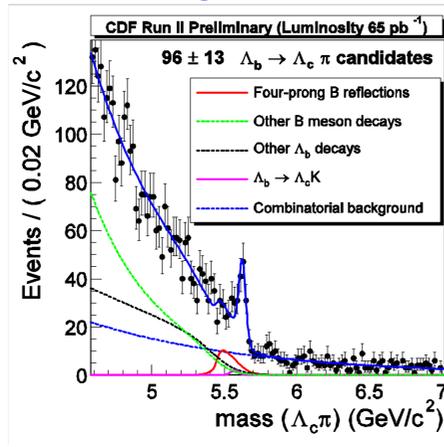


Figure 2: Reconstructed  $\Lambda_b \rightarrow \Lambda_c \pi$ . The data are fitted with a Gaussian (signal). The background shape is obtained from the Monte Carlo.  $\chi^2/N=167/116$ . There are two sources of backgrounds: 1. combinatorial 2. reflections. See below.

## Sources of reflections in $L_b \rightarrow L_c p$

- Four-prong B meson decays and all the other B meson decays
- $\Lambda_b \rightarrow \Lambda_c K$  and other  $\Lambda_b$  decays
- Normalized the reflections with the measured  $B^0 \rightarrow D^- \pi^+$  yield in the  $\Lambda_b$  mass window, production fractions and relative BR of four-prong to other B decays

Table 1: Efficiency Ratio

	$\epsilon_{B^0 \rightarrow D^- \pi^+} / \epsilon_{\Lambda_b \rightarrow \Lambda_c^- \pi^+}$
$\epsilon_{\text{Trigger}}$	$1.30 \pm 0.01$
$\epsilon_{\text{Reco}}$	$0.96 \pm 0.01$
$\epsilon_{\text{Ana}}$	$0.96 \pm 0.01$
$\epsilon_{\text{Tot}}$	$1.20 \pm 0.02$

## Efficiency ratio $\epsilon(L_b)/\epsilon(B^0)$

## Systematic uncertainties

Table 2: Summary of Systematics

	central value	variation	(%) change
$B^0$ lifetime ( $\mu\text{m}$ )	462	457-467	$\pm 0$
$\Lambda_b$ lifetime ( $\mu\text{m}$ )	369	345-393	$+4$ $-5$
$\Lambda_c$ Dalitz structure	non-resonant		+1
MC $P_T$ spectrum			+1
$\Lambda_b$ polarization	0	$\pm 1$	$\pm 7$
XFT	2 miss	1 miss	+3
$\phi$ efficiency			+3
subtotal			$\pm 9$
Fit model ( $B^0$ )			$\pm 6$
Fit model ( $\Lambda_b$ )			$\pm 8$
$\text{BR}(\Lambda_c^+ \rightarrow pK^- \pi^+)$			$\pm 27$
$\text{BR}(D^- \rightarrow K^+ \pi^- \pi^-)$			$\pm 27$

We measure

$$\frac{f_{\text{baryon}} \times \text{BR}(\Lambda_b \rightarrow \Lambda_c^+ p^-)}{f_d \times \text{BR}(B^0 \rightarrow D^- p^+)} = 0.66 \pm 0.11(\text{stat}) \pm 0.09(\text{syst}) \pm 0.18(\text{BR})$$

## What do we know about $L_b$ decays?

2003 Particle Data Group

Mode	Fraction ( $\Gamma_i/\Gamma$ )	Confidence level
$\Gamma_1$ $J/\psi(1S)\Lambda$	$(4.7 \pm 2.8) \times 10^{-4}$	
$\Gamma_2$ $pD^0\pi^-$		
$\Gamma_3$ $\Lambda_c^+ \pi^-$	seen	
$\Gamma_4$ $\Lambda_c^+ a_1(1260)^-$	seen	
$\Gamma_5$ $\Lambda_c^+ \pi^+ \pi^- \pi^-$		
$\Gamma_6$ $\Lambda_c^+ K^0 2\pi^+ 2\pi^-$		
$\Gamma_7$ $\Lambda_c^+ \ell^- \bar{\nu}_\ell$ anything	[a] $(7.7 \pm 1.8)\%$	
$\Gamma_8$ $p\pi^-$	$< 5.0 \times 10^{-5}$	90%
$\Gamma_9$ $pK^-$	$< 5.0 \times 10^{-5}$	90%
$\Gamma_{10}$ $\Lambda\gamma$	$< 1.3 \times 10^{-3}$	90%

[a] Not a pure measurement. See note at head of  $\Lambda_b^0$  Decay Modes.

## Normalization Mode

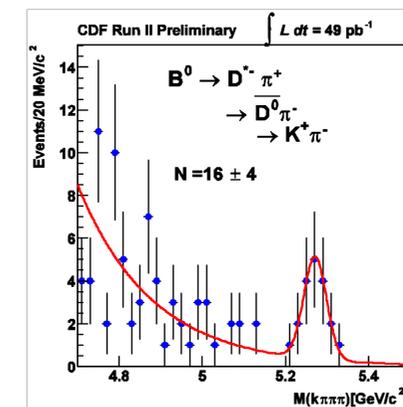


Figure 3: Reconstructed  $B^0 \rightarrow D^- \pi^+$ . Data are fitted with a single Gaussian (signal) and an exponential background.  $\chi^2/N=29.26/22$

## Signal Mode

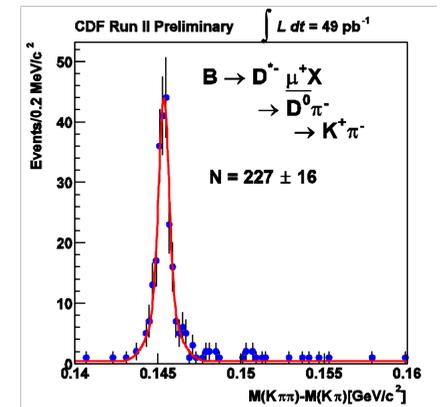


Figure 4: Reconstructed  $B^0 \rightarrow D^- \mu^+ X$ . Data are fitted with double Gaussian (signal) and a constant background.  $\chi^2/N=21.11/31$

## Physics backgrounds from the feed-down of excited D mesons

- Physics backgrounds are estimated from predicted branching ratios and the efficiencies from the Monte Carlo. Backgrounds contributing  $< 1\%$  are not included.

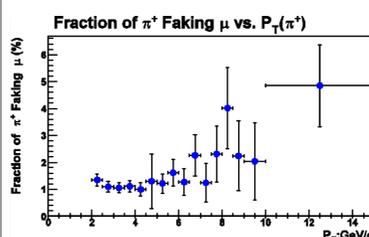
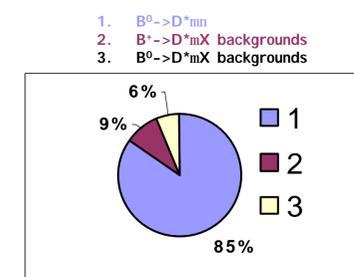


Figure 5: muon fake rate and  $\pi^+$   $P_T$  spectrum



Mode	BR (%)
$B^0 \rightarrow D^{*-} \mu^+ \nu$	$5.53 \pm 0.23$
$B^+ \rightarrow D_1^0 \mu^+ \nu$	$0.56 \pm 0.16$
$\rightarrow D^{*-} \pi^+$	$66.67 \pm ?$
$B^+ \rightarrow D_1^0 \mu^+ \nu$	$0.37 \pm ?$
$\rightarrow D^{*-} \pi^+$	$66.67 \pm ?$
$B^+ \rightarrow D^{*-} \pi^+ \mu^+ \nu$	$0.20 \pm ?$
$B^0 \rightarrow D^{*-} \tau^+ \nu$	$1.60 \pm ?$
$\rightarrow \mu^+ \nu$	$17.37 \pm 0.06$
$B^0 \rightarrow D_1^- \mu^+ \nu$	$0.56 \pm ?$
$\rightarrow D^{*-} \pi^0$	$33.33 \pm ?$
$B^0 \rightarrow D_1^- \mu^+ \nu$	$0.37 \pm ?$
$\rightarrow D^{*-} \pi^0$	$33.33 \pm ?$
$B^0 \rightarrow D^{*-} \pi^0 \mu^+ \nu$	$0.100 \pm ?$

## Fake muons from the B hadronic decays

- Backgrounds from fake muons are estimated by weighting the  $K/\pi P_T$  spectra from  $B_{\text{mix}} \rightarrow D^* X_{\text{hadron}}$  Monte Carlo by the measured muon fake rate. See Figure 5.

## Systematic uncertainties

Note: The systematic error from the unmeasured BR is calculated by assigning 5% uncertainty to the charm decays and 100% uncertainty to the B decays.

Table 4: Summary of Systematics	
CDF Internal Systematics: $\sigma_{R_{BR}}$	
Fake $\mu$ Rate	$\pm 0.22$
$P_T(B^0)$ Spectrum	$+1.23$ $-0.73$
Total	$+1.25$ $-0.76$
External Systematics from Measured BR: $\sigma_{R_{BR}}$	
$B_d \rightarrow D^{*-} \pi^+$	$\pm 0.31$
$B^+ \rightarrow D_1^0 \mu^+ \nu$	$\pm 0.29$
$B_{\text{mix}} \rightarrow D^{*-} X$	$\pm 0.17$
$f_d$	$\pm 0.03$
Total	$\pm 0.46$
External Systematics from Unmeasured BR: $\sigma_{R_{BR}}$	
Total	$\pm 1.09$
Statistical Uncertainty: $\sigma_{R_{BR}}$	
Total	$\pm 7.12$

Result agrees with 2003 PDG within 0.4s.

Proceed with  $L_b$  analysis

We measure

$$\frac{\text{BR}(B^0 \rightarrow D^{*-} \mu^+)}{\text{BR}(B^0 \rightarrow D^{*-} p^+)} = 22.9 \pm 7.1(\text{stat})_{-0.8}^{+1.3}(\text{internal sys.}) \pm 0.5(\text{measured BR}) \pm 1.1(\text{unmeasured BR})$$